

GRADE 11 EXAMINATION NOVEMBER 2007

MATHEMATICS: PAPER I (LO1 AND LO2)

ANSWER BOOKLET

MARKING GUIDELINES

The marking guide is a working document prepared for use by teachers as they assess the Grade 11 externally set examinations.

There may be different interpretations of the marking guidelines but the teacher should keep as closely as possible to the suggested way of assessing. When in doubt, a teacher should check with another member of the cluster or with the relevant Assessment Specialist.

(2)K

_ (1) RP

QUESTION 8

On a particular day, the depth of water, y metres, at the entrance of a tidal harbour x hours after midday is given by the formula:

$$y = -x^2 + 3x + 4$$
 for $0 \le x \le 4$

(a) Complete the table (in the Answer Booklet)

x (hours after 12:00)	0	1	1,5	2	3	4
y (depth in metres	4	6	6,25	6	4	Ο
	✓ ^{1/2}		✓ ^{1/2}	✓ ^{1/2}		✓ ^{1⁄2}

(b) Draw a graph of y against x.





For $x = 0, y = 4$	
\therefore At midday, water is 4 m deep. \checkmark^{CA}	(1) RP

(d) Determine when during the afternoon the entrance is dry.

For x = 4, y = 0

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\therefore At 4 pm entrance is dry. \checkmark^{CA}
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(e) Determine the maximum depth of water at the entrance and when during the afternoon this occurs.

Maximum depth of 6,25 m at 1:30 pm	
✓ ^{CA}	(2) RP

(f) A large ferry requires at least 6 m of water for it to be able to enter the harbour. Determine between which times of the afternoon the ferry can safely enter the harbour.

Between 1 pm and 2 pm depth of water is more than 6 m, so

ferry can enter.		
✓ ^{CA}	✓ ^{CA}	(2) PS
		12 marks

QUESTION 9(B)

(b) Consider the following shapes created with shaded and white tiles:



Figure 2

Figure 3



(1) Complete the table (in the Answer Booklet):

Figure No.	1	2	3	4	6	11
No. of Shaded tiles	4	16	36	64	144	484
No. of White tiles	1	9	25	49	121	441
Total No. of tiles	5	25	61	113	265	925
		ζA	ZΑ	ζΑ	⁄ A	ζA

(5) RP/CP/PS

(2) Hence determine a formula for the total number of blocks in the n^{th} figure.

No. of Shaded tiles = $(2n)^2$	√CA	
No. of White tiles = $(2n-1)^2$	√ CA	
\therefore Total No. of tiles = $4n^2 + 4n^2$	-4n+1	
$= 8n^2 - 4n +$	-1 ✓ ^{CA}	

8 marks